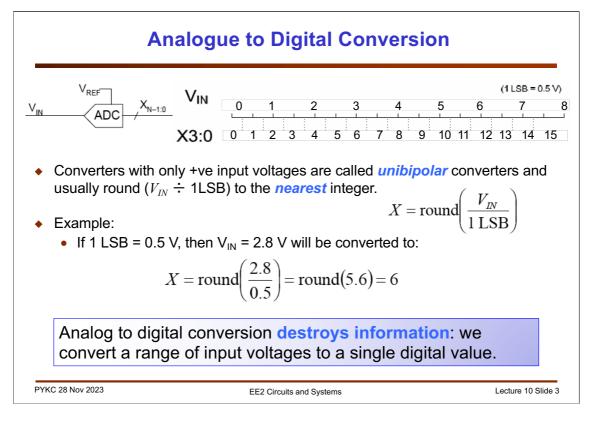


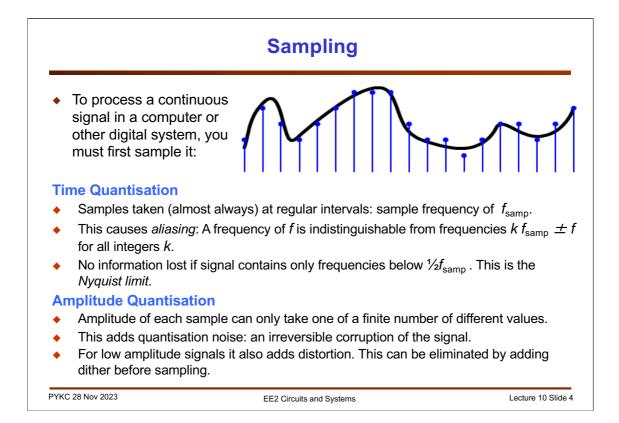
	d the relationship between the continuous input signal to an Digital converter and its discrete output
0	d the source and magnitude of quantisation noise
 Understand 	d how a flash converter works
 Understand 	d the principles behind a successive approximation converter
	d how a successive approximation converter can be ed using a state machine
	d the need for using a sample/hold circuit with a successive tion converter
References:	verter Architectures" in Data Conversion Handbook by Analog Devices

The counterpart to a DAC is the ADC, which is generally a more complicated circuit. In this lecture, various ADC architectures will be considered.



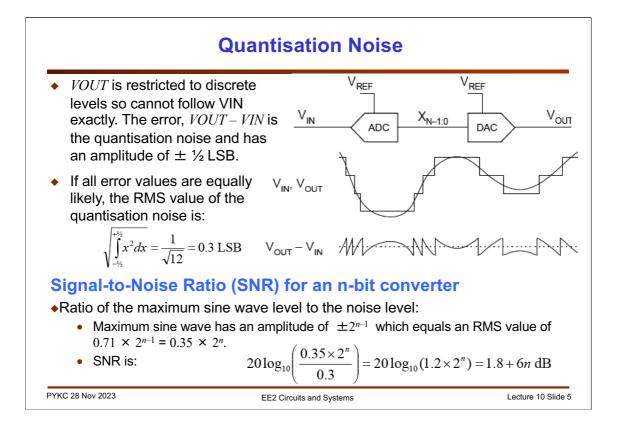
Let us consider the case where the converted voltage is unipolar. The analogue voltage is converted to a digital number to the nearest least significant bit (or nearest integer).

Therefore ADC operation looses information. This is known as **quantization noise**.



The idea of sampling is fully covered in the Signal and Linear Systems course. Essentially we quantize an analogue signal in time and in amplitude. Quantizing in time does not loose information as long as the sampling frequency is at least twice the maximum frequency component of the signal you are sampling.

Quantising in amplitude is achieved through a ADC and information is lost. The difference between the original analogue signal and the digitized signal is the quantisation noise.

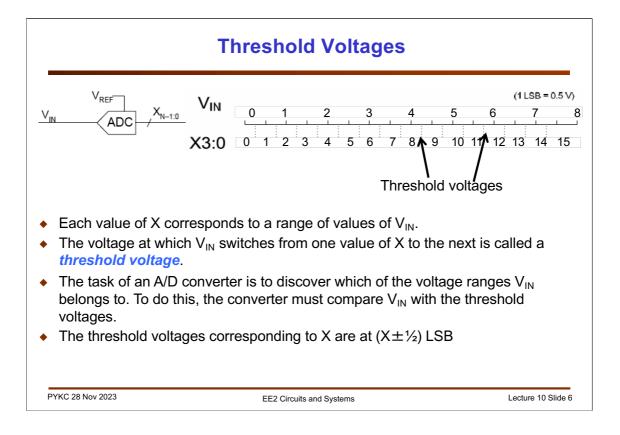


Take a signal V_IN, digitize this using a ADC to produce X[N-1:0] and then convert this back to analogue using a DAC to produce V_OUT. If you now subtract V_IN from V_OUT, you have the quantization oise. This noise signal has an amplitude of +/- $\frac{1}{2}$ a LSB.

If you assume that the input signal is random and therefore the amplitude of the quantisation noise is equally likely to take on a value between - $\frac{1}{2}$ LSB and + $\frac{1}{2}$ LSB, the RMS value of the noise is easily shown to be around 0.3 LSB.

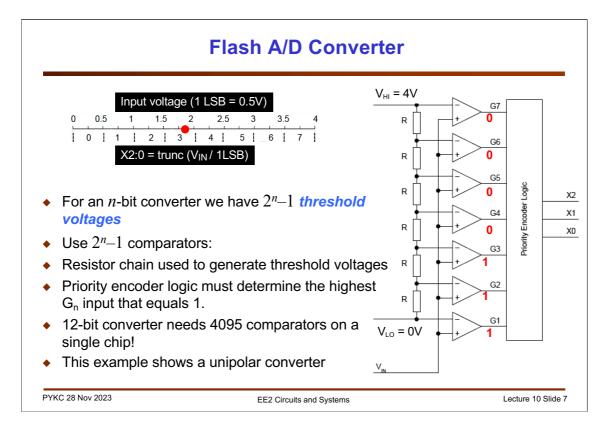
What is the Signal-to-Noise ratio of an n-bit converter? This can also be calculated easily. Consider a sine wave with an amplitude of +/- $2^{(n-1)}$. We choose this amplitude because this is centred around 0 (no dc component) and 1LSB = 1V, making this easier to express everything in LSB. The RMS value of this sine wave is easily shown to be 0.71 x $2^{(n-1)}$ or 0.35 x 2^{n} .

Therefore for such a sine wave, the SNR is 1.8 + 6n dB. In other words, for every extra bit of ADC/DAC resolution, we add an extra 6dB to the SNR.



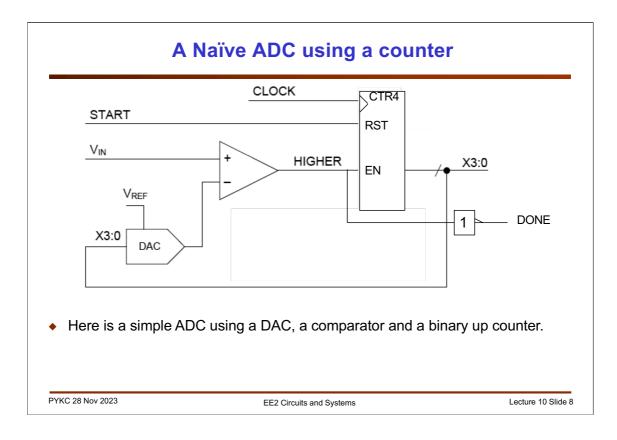
Every ADC contains a DAC converter, which provides many threshold voltages. The ADC compares the input voltage to be converter V_IN to these threshold voltages and determine what the converter digital value should be.

Each converter value X therefore corresponds to a range of values of V_IN. This range defines the threshold voltages which is X +/- $\frac{1}{2}$ LSB.



The simplest ADC is the flash ADC. We are converting from the range of 0V to 4V to a digital range of 0 to 7 in binary.

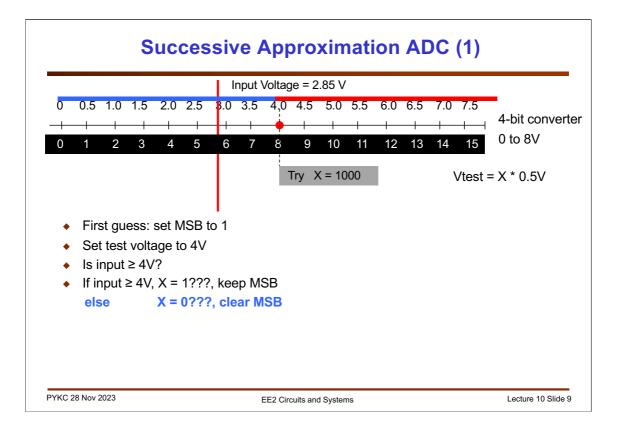
A voltage divider with a string of resistors R (which is the DAC circuit) is used to provide all the threshold voltages needed – i.e. 0, 0.5, ... 3.5. 7 analogue comparators are used to determine which voltage interval V_IN lies. For example, if V_IN = 1.75V, then G1 to G3 are logic '1' and G4 to G7 are '0'. This produces the thermometer code which is decoded into a binary number X[2:0].



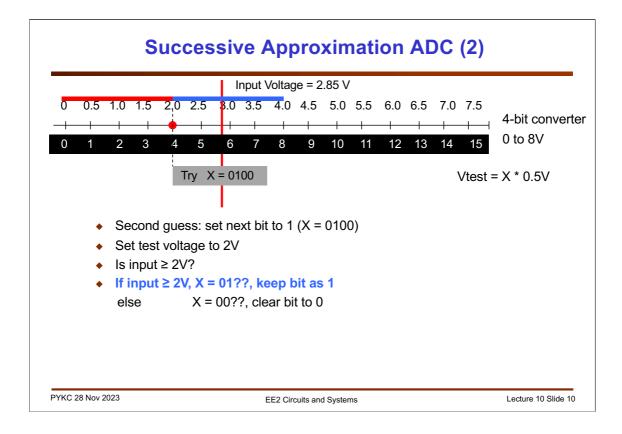
This is a simple ADC using a DAC. The START signal is a short pulse that asynchronously reset the counter to zero. This starts the ADC conversion. If $\rm V_{IN}$ is above the lowest value from DAC, the counter is enable (HIGHER=1). The counter then counts up until $\rm V_{IN}$ is now lower than the DAC output, and counter is disabled, and the DONE signal goes high. X3:0 shows the value of the counter that makes the DAC just over the V_IN value.

The disadvantage of this converter is that the time it takes to perform a conversion is dependent on the value of V_{IN} . Furthermore, if this is a 16-bit converter, it could take over 65,000 clock cycles – therefore the conversion time can be very long.

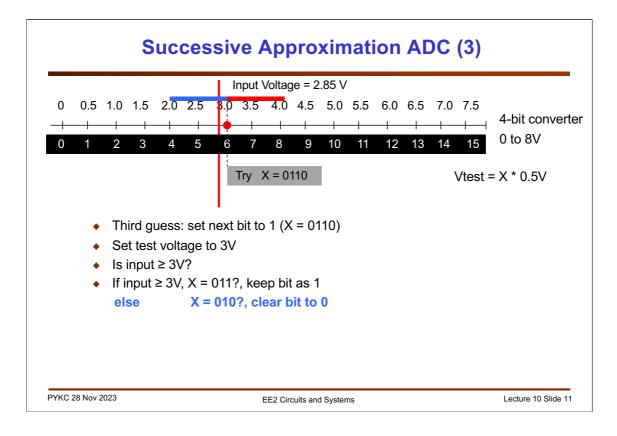
We will next consider a different scheme using the successive approximation algorithm.



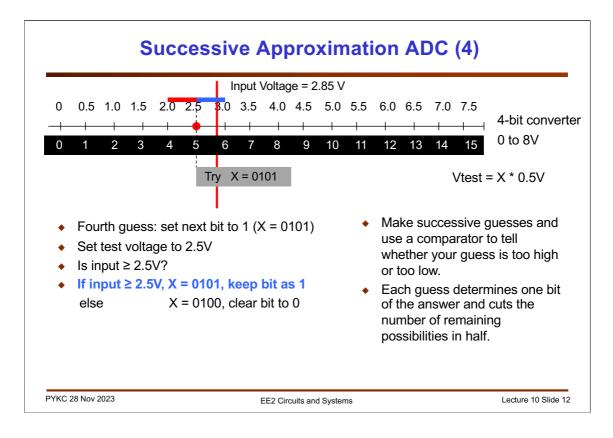
Let us assume that the input voltage is 2.85V as shown as the RED line. We first set the DAC input X3:0 to 4'b1000 (i.e. assume MSB to be '1'), and compare V_IN to this threshold. You are effectively dividing the while voltage range into two halves: the lower BLUE range, and the upper RED range. V_IN belongs to the lower BLUE range, so we know setting MSB to '1' is too high. We therefore clear the MSB.



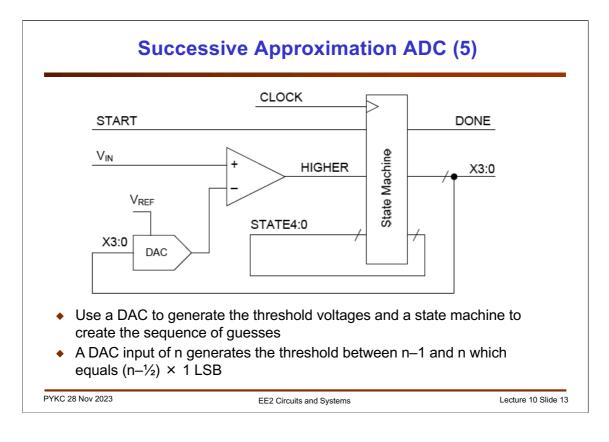
Next we divide the lower range from 0 to 4V into two equal halves again by setting X3:0 = 4'b0100. The threshold is now 2.0V. We are now testing the second most significant bit to see if this should be '1' or '0'. Now $V_{\rm IN}$ belongs to the upper half, therefore we keep the '1' bit which we tested for.



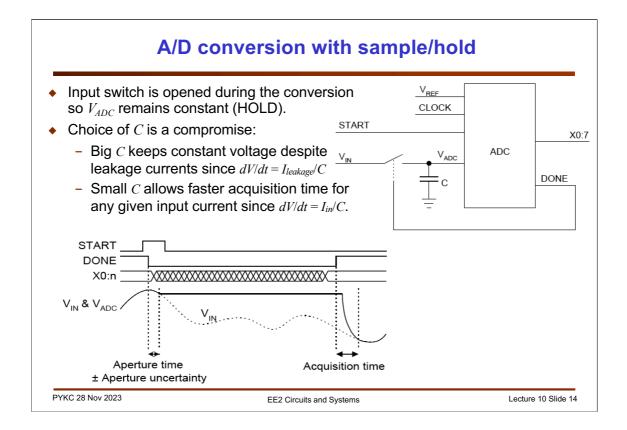
We now test the next bit by setting X3:0 = 4'b0110, testing X1. We are now dividing the range from 2.0V to 4.0V into two halves. $V_{\rm IN}$ belongs to the lower half, therefore we CLEAR X1.



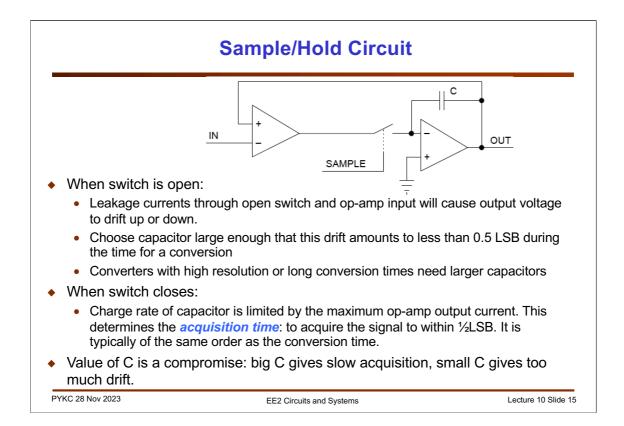
Finally we test for the last bit. V_{IN} is in the upper range, hence LSB is '1'. We have the final converted digital value: X3:0 = 4'b0101.



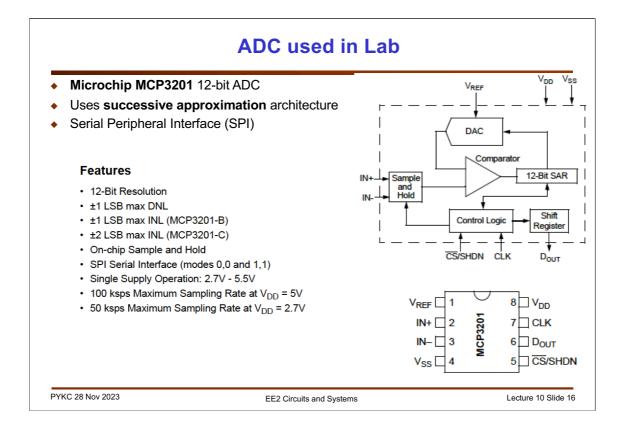
The hardware architecture for a SA-DAC is shown here. We need to design a FSM to implement the algorithm. It is similar to the counter based ADC we look at earlier, but the counter is now replaced by a state machine that makes decision on whether to reset the '1'-bit which was tested, and what the next DAC value to try.



So far we assume that while the ADC is performing conversion, the input signal is held at a fixed voltage level. If the input signal is in fact changing, the converted digital value will not be an accurate measure of VIN at the time of sampling. To ensure that the ADC input is held at a fixed voltage, we usually include follow-and-hold circuit. An analogue switch is normally turn ON, so that VIN is continuously charging the capacitor C. When the START pulse activates the ADC to take a sample, the DONE signal immediately goes low. This should open the switch and hold the VIN value at the time the conversion started.



A practical sample/hold or follow/hold circuit is shown here using two operation amplifier. This has the advantage that the leakage current from the capacitor can be made very low. During the sampling or following mode, the right most op amp provides strong charging current to charge the capcitor.



This shows the ADC block diagram we use in the Lab. Again the digital interface obeys the SPI protocol, with Chip Select (CS), Serial Clock (CLK), and Serial Data Out (Dout) signals.

This ADC uses a 12-bit DAC internally, and the successive approximate algorithm (SAR) as described in our earlier lecture on ADCs. It produces a 12-bit output. However, the least significant 2 bits are not accurate. For our lab experiments, we only use the top 10-bits converted with this ADC chip.

Other types of Converter

Sampling ADC

 Many A/D converters include a sample/hold within them: these are sampling A/D converters.

Oversampling DAC and ADC

• **Oversampling** converters (also known as sigma-delta $\Sigma\Delta$ or delta-sigma $\Delta\Sigma$ converters) sample the input signal many times for each output sample. By combining digital averaging with an error feedback circuit they can obtain up to 20 bits of precision without requiring a high accuracy resistor network (hence cheaper). A typical oversampling ratio is 128X, i.e. the input is sampled at 6.4MHz to give output samples at 50 kHz. Most CD players use an oversampling DAC.

PYKC 28 Nov 2023

EE2 Circuits and Systems

Lecture 10 Slide 17

There is another class of converters known as oversampling converters. These use a sigma-delta modulator circuit which sample the input signal at a much high frequency than the Nyquist frequency demands. Normally it produces a 1-bit digital signal which is than down sampled and filtered to produce an accurate analogue output for a DAC, and a multi-bit digital value for a ADC. For example, CD players use an oversample DAC with sampling rate of 6.4MHz. This is then down sampled to produce an output sample rate of 50KHz – a oversampling ratio of 128 times.